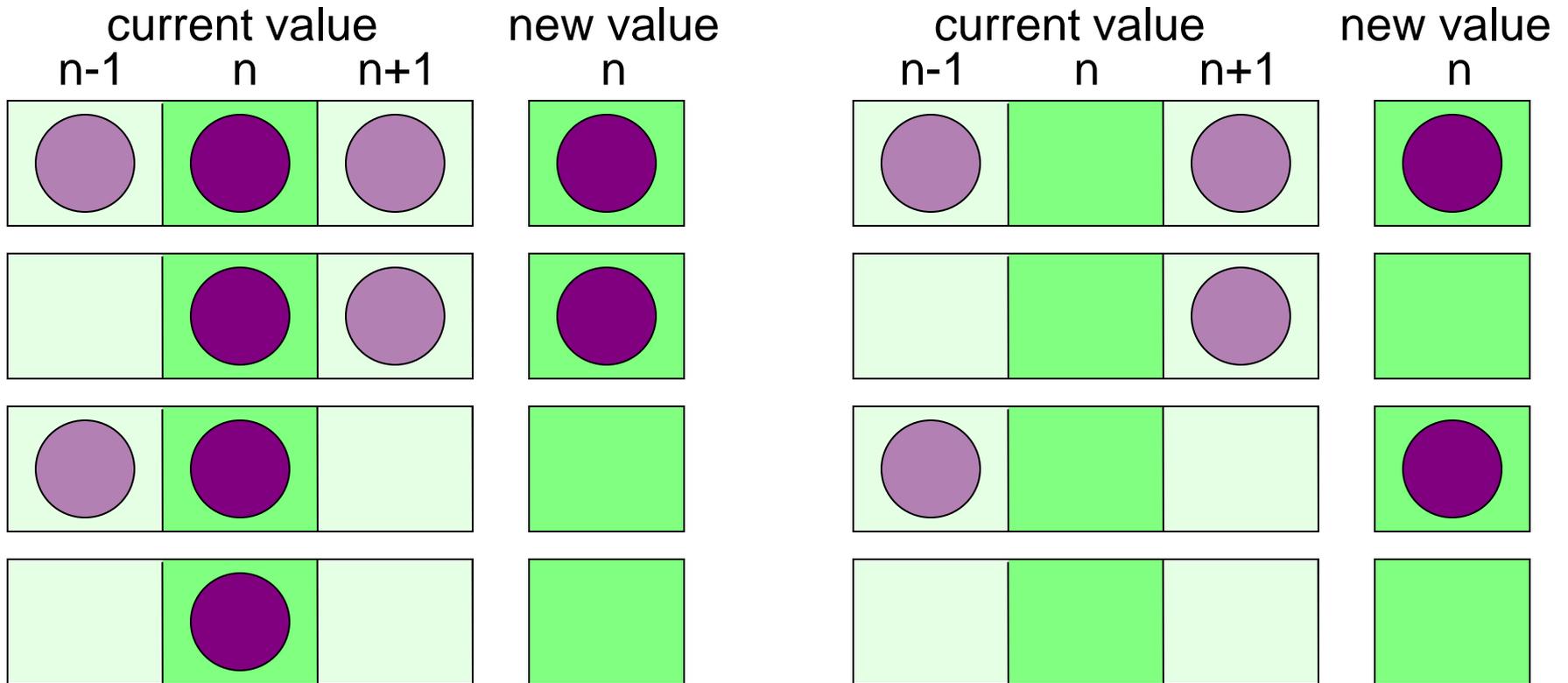


Shared-Memory Programming

Cellular Automaton Exercise

– Update rules depend on:

- state of cell
- state of nearest neighbours in both directions



▶ If $R^t(i) = 0$, then $R^{t+1}(i)$ is given by:

–	$R^t(i-1) = 0$	$R^t(i-1) = 1$
– $R^t(i+1) = 0$	0	1
– $R^t(i+1) = 1$	0	1

▶ If $R^t(i) = 1$, then $R^{t+1}(i)$ is given by:

–	$R^t(i-1) = 0$	$R^t(i-1) = 1$
– $R^t(i+1) = 0$	0	0
– $R^t(i+1) = 1$	1	1

```
declare arrays old(i) and new(i), i = 0,1,...,N,N+1
initialise old(i) for i = 1,2,...,N-1,N (eg randomly)
loop over iterations
  set old(0) = old(N) and set old(N+1) = old(1)
  loop over i = 1,...,N
    if old(i) = 1
      if old(i+1) = 1 then new(i) = 1 else new(i) = 0
    if old(i) = 0
      if old(i-1) = 1 then new(i) = 1 else new(i) = 0
  end loop over i
  set old(i) = new(i) for i = 1,2,...,N-1,N
end loop over iterations
```

- ▶ Load balance not an issue
 - updates take equal computation regardless of state of road
 - split the road into equal pieces of size N/P
- ▶ For each piece
 - rule for cell i depends on cells $i-1$ and $i+1$
 - can parallelise as we are updating new array based on old
- ▶ Synchronisation required
 - to ensure threads do not start until boundary data is updated
 - to produce a global sum of the number of cars that move
 - to ensure that all threads have finished before next iteration

```
serial: initialise old(i) for i = 1,2,...,N-1,N
serial: loop over iterations
    serial: set old(0) = old(N) and set old(N+1) = old(1)
    parallel: loop over i = 1,...,N
        if old(i) = 1
            if old(i+1) = 1 then ...
        if old(i) = 0
            if old(i-1) = 1 then ...
        end loop over i

    synchronise
    parallel: set old(i) = new(i) for i = 1,2,...,N-1,N
    synchronise
end loop over iterations
```

▶ **private:** i; **shared:** old, new, N

- reduction operation to compute number of moves